# Modeling Grammaticality 

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## Today’s Outline

1. What does it mean to be grammatical?
2. Modeling grammaticality with Context-Free Grammars

## Is this grammatical?



## Grammar and Syntax

- Grammar: Formal rules, principles, or processes that determine valid and invalid structure in language
- Syntax: Grammar of sentences
- (We'll focus on this today)


## Prescriptive vs Descriptive

- Prescriptive Grammar
- How you "ought" to speak. Otherwise, you're ungrammatical!
- e.g. Don’t split infinitives! (e.g. "to go")
- Descriptive Grammar
- Focus on describing the language as it's used
- e.g. "To boldy go where no man has gone before"
- In NLP, we do a bit of both, with probabilities


# Grammaticality in perspective 

- Dialect differences:
- I didn't eat dinner
- I didn't eat no dinner
- Changes in usage:
- She said, "I want to go!"
- She was, like, "I want to go!"


## ＂Chinese has no grammar＂ －false！

－他喝茶（Literal：He drinks tea）
－Grammar rule：Subject，Verb，Object
－我有一件黑色襯衫（I have a black shirt）
－Grammar rule：modifier＂black＂comes before modified
－All languages have grammar！

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## Goal of modeling grammaticality

- We need a way to mathematically or formally capture what is grammatical and what is not.
- There are many "formalisms" for doing so. We'll cover:
- Constituency grammar (today)
- Dependency grammar (later)


## Constituency grammar (aka phrase structure grammar)

- Focuses on groups of words (constituent)
- A sentence $(\mathrm{S})$ is made of:
- subject, typically a noun phrase (NP)
- predicate, typically verb phrase (VP)
- NP and VP are in turn made of groups of words


## Sentence

## Noun Phrase the man walked to the park

## Bracketing notation: <br> ((the man) (walked to the park))

## Sentence

## Noun Phrase

## the man walked to the park

## Bracketing notation: <br> ((the man) (walked (to (the park))))

## Sentence

## Noun Phrase

## the man walked to the park

## Add labels to each constituent

(S (NP the man) (VP walked (PP to (NP the park))))


Key:
$\mathrm{S}=$ sentence
$N P=$ noun phrase
VP = verb phrase
PP = prepositional phrase
the man walked to the park

## Include pre-terminals (part-of-speech labels)

(S (NP the man) (VP walked (PP to (NP the park))))


Key:
$\mathrm{S}=$ sentence
$N P=$ noun phrase
$\mathrm{VP}=$ verb phrase
$\mathrm{PP}=$ prepositional phrase
DT = determiner
NN = noun
VBD = verb (past tense)
IN = preposition

## Now we have a constiuency tree!

(S (NP the man) (VP walked (PP to (NP the park))))


## Context-Free Grammar

- Syntactic Re-write Rules
- $S \rightarrow>N P V P$
- NP -> DT NN
- VP -> VBD PP
- PP $->$ IN NP
- etc
- Lexical Re-write Rules
- $\mathrm{NN} \rightarrow$ man
- DT -> the
- VBD -> walked
- $\mathrm{IN}->$ to
- NN -> park


## $S \rightarrow N P$ VP <br> $N P \rightarrow$ DT NN <br> DT $\rightarrow$ the DT NN VBD IN DT NN the man walked to the park

## Probabilistic CFG

- Syntactic Re-write Rules
- $S \rightarrow>$ NP VP Probability=1.0
- NP —> DT NN Probability=0.7
- VP $->$ VBD PPProbability=1.0
- PP -> IN NP

Probability=1.0

- NP $->$ NNP

Probability= 0.3

- etc
- Lexical Re-write Rules
- $\mathrm{NN} \rightarrow$ man Probability=0.4
- DT $\rightarrow>$ the Probability=1.0
- VBD —> walked Probability=1.0
- IN $->$ to

Probability=1.0

- NN $->$ park Probability=0.4
- NN $->$ John Probability=0.2


## Top-down generation

## Ambiguities - Prepositional Phrase (PP) Attachment

## Sherlock saw the man using binoculars



## Ambiguities - more examples

- Coordination:
- ((laptop and monitor) with the Apple logo)
- (laptop and (monitor with the Apple logo))
- Noun compound
- ((Natural Language) Processing)
- (Natural (Language Processing))


## CFG Formalism

- $\mathbf{G}=(\boldsymbol{\Sigma}, \mathbf{N}, \mathbf{S}, \mathrm{R})$
- $\Sigma$ is finite set of terminal, e.g. $a, b$
- $N$ is finite set of nonterminal, e.g. $A, B(V=\Sigma U N)$
- $S$ is start symbol
- $R$ is production rule $A \rightarrow a$ where $a$ is $V^{*}$
- For PCFG, probability is attached to each R
- Chomsky Normal Form (CNF) - only these rules are allowed
- unary terminal rule $\mathrm{A} \rightarrow>\mathrm{w}$
- binary nonterminal rule $\mathrm{A} \rightarrow$ B C


## Why is it called context-free?

- A rule like NP $->$ DT NN applies regardess of the neighboring context of NP
- i.e. left-hand-side of each rule is a single non-terminal symbol


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